## APPLYING MODERN CLOCK DRIVERS TO MOS MEMORIES

## INTRODUCTION

MOS memories present unique system and circuit challenges to the engineer since they require precise timing of input wave forms. Since these inputs present large capacitive loads to drive circuits, it is often that timing problems are not discovered until an entire system is constructed. This paper covers the practical aspects of using modern clock drivers in MOS memory systems. Information includes selection of packages and heat sinks, power dissipation, rise and fall time considerations, power supply decoupling, system clock line ringing and crosstalk, input coupling techniques, and example calculations. Applications covered include driving various types shift registers and RAM's (Random Access Memories) using logical control as well as other techniques to assure correct non-overlap of timing waveforms.
Although the information given is generally applicable to any type of driver, two new monolithic integrated circuit drivers, the MH0O25 and MH0O26 are selected as examples because of their low cost.

The MH0O25 was the first monolithic clock driver. It is intended for applications up to one megacycle where low cost is of prime concern. Table 1 illustrates its performance while Appendix I describes its circuit operation. Its monolithic, rather than hybrid or module construction, was made possible by a new high voltage-gold doped process utilizing a collector sinker to minimize $\mathrm{V}_{\mathrm{CE} \text { SAT }}$.

The MHOO26 is a high speed, low cost, monolithic clock driver intended for applications above one megacycle. Table II illustrates its performance characteristics while its unique circuit design is presented in Appendix II. Of course the above are just examples of the many different types that are commercially available. Other National Semiconductor MOS interface circuits are listed in Appendix III.

The following section will hopefully allow the design engineer to select and apply the best circuit to his particular application while avoiding common system problems.

## PRACTICAL ASPECTS OF USING MOS CLOCK DRIVERS

Of course each of us is careful of details but reminders such as "turn on the power supplies" or "don't reverse supply polarity" sometimes solve a not-so-obvious problem. This section is intended to review and answer design questions like "how much should I decouple supplies?"

## Package and Heat Sink Selection

Package type should be selected on power handling capability, standard size, ease of handling, availability of sockets, ease or type of heat sinking

TABLE I. MH0025 Characteristics

| PARAMETER | CONDITIONS $\left(\mathrm{V}^{+}-\mathrm{V}^{-}\right)=17 \mathrm{~V}$ | VALUE | UNITS |
| :---: | :---: | :---: | :---: |
| ${ }^{\text {ton }}$ |  | 15 | ns |
| tof | $\mathrm{C}_{\text {IN }}=0.0022 \mu \mathrm{~F}, \mathrm{R}_{\text {IN }}=0 \Omega$ | 30 | ns |
| $\mathrm{t}_{\mathrm{r}}$ | $C_{L}=0.0001 \mu \mathrm{~F}, \mathrm{R}_{\mathrm{O}}=50 \Omega$ | 25 | ns |
| $t_{f}$ |  | 150 | ns |
| Positive Output Voltage Swing | $V_{\text {IN }}-V^{-}=O V$, IOUT $^{\prime}=-1 \mathrm{~mA}$ | $\mathrm{v}^{+}-0.7$ | V |
| Negative Output Voltage Swing | $\mathrm{I}_{\text {IN }} \xlongequal{=} 10 \mathrm{~mA}, \mathrm{I}_{\text {OUT }}=1 \mathrm{~mA}$ | $\mathrm{v}^{-}+1.0$ | $\checkmark$ |
| On Supply Current ( $\mathrm{V}^{+}$) | $\mathrm{I}_{\mathrm{IN}}=10 \mathrm{~mA}$ | 17 | mA |

TABLE II. MH0026 Characteristics

| PARAMETER | CONDITIONS $\left(\mathrm{V}^{+}-\mathrm{V}^{-}\right)=17 \mathrm{~V}$ | VALUE | UNITS |
| :---: | :---: | :---: | :---: |
| $\mathrm{t}_{\mathrm{ON}}$ |  | 7.5 | ns |
| $\mathrm{t}_{\mathrm{OFF}}$ | $\mathrm{C}_{\mathrm{IN}}=0.001 \mu \mathrm{~F}, \mathrm{R}_{\mathrm{IN}}=0 \Omega$ | 7.5 | ns |
| $\mathrm{t}_{\mathrm{r}}$ | $\mathrm{R}_{0}=50 \Omega, \mathrm{C}_{\mathrm{L}}=1000 \mathrm{pF}$ | 25 | ns |
| $\mathrm{t}_{\mathbf{t}}$ |  | 25 | ns |
| Positive Output Voltage Swing | $\mathrm{V}_{I N}-\mathrm{V}^{-}=0 \mathrm{~V}, \mathrm{I}_{\mathrm{OUT}}=-1 \mathrm{~mA}$ | $\mathrm{~V}^{+}-0.7$ | V |
| Negative Output Voltage Swing | $\mathrm{I}_{\mathrm{IN}}=10 \mathrm{~mA}, \mathrm{I}_{\mathrm{OUT}}=1 \mathrm{~mA}$ | $\mathrm{~V}^{-}+0.5$ | V |
| On Supply Current $\left(\mathrm{V}^{+}\right)$ | $\mathrm{I}_{\mathrm{IN}}=10 \mathrm{~mA}$ | 28 | mA |

## TABLE III. Package Power Ratings


required, reliability and cost. Power handling capability for various packages is illustrated in Table III. The following guidelines are recommended:

The TO-5 (" $\mathrm{H}^{\prime \prime}$ ) package is rated at 600 mW still air (derate at $4.0 \mathrm{~mW} /{ }^{\circ} \mathrm{C}$ above $25^{\circ} \mathrm{C}$ ) and 900 mW with clip on heat sink (derate at $6.0 \mathrm{~mW} /{ }^{\circ} \mathrm{C}$ above $25^{\circ} \mathrm{C}$ ). This popular cavity package is recommended for small systems. Low cost (about 10 cents) clip-on-heat sink increases driving capability by $50 \%$.

The 8 pin (" $N$ ") molded mini-DIP is rated at 600 mW still air (derate at $4.0 \mathrm{~mW} /{ }^{\circ} \mathrm{C}$ above $25^{\circ} \mathrm{C}$ ) and 1.0 W soldered to P.C. board (derate at $6.6 \mathrm{~mW} /{ }^{\circ} \mathrm{C}$ ). Constructed with a special copper lead frame, this package is recommended for medium size commercial systems particularly where automatic insertion is used. (Please note for prototype work, that this package is only rated at 600 mW when mounted in a socket and not one watt until it is soldered down.)
The TO-8 (" G ") package is rated at 1.5 W still air (derate at $10 \mathrm{~mW} /{ }^{\circ} \mathrm{C}$ above $25^{\circ} \mathrm{C}$ ) and 2.3 W with with clip on heat sink (Wakefield type 215-1.9 or equivalent-derate at $15 \mathrm{~mW} /{ }^{\circ} \mathrm{C}$ ). Selected for its power handling capability and moderate cost, this hermetic package will drive very large systems at the lowest cost per bit.

The 14 pin cavity DIP is rated at 600 mW free air. While some rate this package at 1 W case temperature, National does not recommend its use for clock drivers. This is because from a user point of view, it is impossible to get more than 400 to

500 mW rating under normal system conditions; i.e., there is no practical way to conduct heat away from the device other than air.

Other package types range in size and power handling capability. Most have the disadvantage of being in non-standard sizes and are difficult to mount in a system.

## Power Dissipation Considerations

The amount of registers that can be driven by a given clock driver is usually limited first by internal power dissipation. There are four factors:

- Package and heat sink selection
- Average DC power, $\mathrm{P}_{\mathrm{DC}}$
- Average $A C$ power, $P_{A C}$
- Numbers of drivers per package, n

From the package heat sink, and maximum ambient temperature one can determine $\mathrm{P}_{\text {MAX }}$, which is the maximum internal power a device can handle and still operate reliably. The total average power dissipated in a driver is the sum of DC power and AC power in each driver times the number of drivers. The total of which must be less than the package power rating.

$$
\begin{equation*}
P_{D I S S}=n \times\left(P_{A C}+P_{D C}\right) \leq P_{M A X} \tag{1}
\end{equation*}
$$

Average DC power has three components: input power, power in the "OFF" state (MOS logic " 0 ") and power in the "ON" state (MOS logic " 1 ").

$$
\begin{equation*}
P_{D C}=P_{I N}+P_{O F F}+P_{O N} \tag{2}
\end{equation*}
$$

For most types of clock drivers, the first two terms are neglible (less than 10 mW ) and may be ignored.

Thus:

$$
P_{D C} \cong P_{O N}=\frac{\left(V^{+}-v^{-}\right)^{2}}{\operatorname{Req}} \times(D C)
$$

where:

$$
\begin{align*}
& \mathrm{v}^{+}-\mathrm{v}^{-}=\text {Total voltage across the driver } \\
& \text { Req }=\text { Equivalent device resistance } \\
& \text { in the "ON" state } \\
&=\mathrm{V}^{+}-\mathrm{V}^{-} / \mathrm{I}_{\mathrm{S}(\mathrm{ON})}  \tag{3}\\
& \mathrm{DC}=\text { Duty Cycle } \\
&=\frac{\text { "ON" Time }}{\text { "ON" Time }+ \text { "OFF" Time }}
\end{align*}
$$

For the MH0025, Req is typically $1 \mathrm{k} \Omega$ while Req is typically $600 \Omega$ for the MH0026. Graphical solutions for $P_{D C}$ appear in Figure 1. For example if $\mathrm{V}^{+}=+5 \mathrm{~V}, \mathrm{~V}^{-}=-12 \mathrm{~V}$, Req $=500 \Omega$, and $D C=25 \%$, then $P_{D C}=145 \mathrm{~mW}$. However, if the duty cycle was only $5 \%, \mathrm{P}_{\mathrm{DC}}=29 \mathrm{~mW}$. Thus to maximize the number of registers that can be driven by a given clock driver as well as minimizing average system power, the minimum allowable clock pulse width should be used for the particular type of MOS register.


FIGURE 1. PDC vs Duty Cycle

In addition to $P_{D C}$, the power driving a capacitive load is given approximately by:

$$
\begin{equation*}
P_{A C}=\left(V^{+}-V^{-}\right)^{2} \times f \times C_{L} \tag{4}
\end{equation*}
$$

where:

$$
\begin{aligned}
f & =\text { Operating frequency } \\
C_{L} & =\text { Load capacitance }
\end{aligned}
$$

Graphical solutions for $P_{A C}$ are illustrated in Figure 2. Thus, any type of clock driver will
dissipate internally 290 mW per MHz per thousand pF of load. At 5 MHz , this would be 1.5 W for a 1000 pF load. For long shift register applications, the driver with the highest package power rating will drive the largest number of bits.

Combining equations (1), (2), (3), and (4) yields a criterion for the maximum load capacitance which can be driven by a given driver:


FIGURE 2. $P_{A C}$ vs PRF

$$
\begin{equation*}
C_{L} \leq \frac{1}{f}\left[\frac{P_{M A X}}{n\left(V^{+}-V^{-}\right)^{2}}-\frac{(D C)}{\operatorname{Req}}\right] \tag{5}
\end{equation*}
$$

As an example, the MH 0025 CN can dissipate 630 mW at $\mathrm{T}_{\mathrm{A}}=70^{\circ} \mathrm{C}$ when soldered to a printed circuit board. Req is approximately equal to 1 k . For $\mathrm{V}^{+}=5 \mathrm{~V}, \mathrm{~V}^{-}=-12 \mathrm{~V}, \mathrm{f}=1 \mathrm{MHz}$, and $\mathrm{DC}=20 \%$, $C_{L}$ is:

$$
\begin{aligned}
& C_{L} \leq \frac{1}{10^{6}}\left[\frac{\left(630 \times 10^{-3}\right)}{(2)(17)^{2}}-\frac{0.2}{1 \times 10^{3}}\right] \\
& C_{L} \leq 880 \mathrm{pF} \text { (each driver) }
\end{aligned}
$$

A typical application might involve driving an MM5013 triple 64 -bit shift register with the MHOO25. Using the conditions above and the clock line capacitance of the MM5013 of 60 pF , a single MH0025 can drive 880pF/60pF, or 14 MM5013's.

Similarly, the MHOO26CG can dissipate 1.0 W at $75^{\circ} \mathrm{C}$. For $\mathrm{V}^{+}=5 \mathrm{~V}, \mathrm{~V}^{-}=-12 \mathrm{~V}, \mathrm{f}=2 \mathrm{MHz}$, and $D C=20 \%$, the maximum load capacitance which may be driven is:

$$
C_{L} \leq 2 \times \frac{1}{10^{6}}\left[\frac{(1.0)}{(2)(17)^{2}}-\frac{0.2}{600}\right]
$$

$\mathrm{C}_{\mathrm{L}} \leq 700 \mathrm{pF}$ (each driver)

| PACKAG | GE TYPE | TO-8 WITH HEAT SINK |  | TO-8 <br> FREE AIR |  | MINI-DIP SOLDERED DOWN |  | TO-5 AND MINI-DIP FREE AIR |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Max. <br> Operating <br> Frequency |  | $60^{\circ} \mathrm{C}$ | $85^{\circ} \mathrm{C}$ | $60^{\circ} \mathrm{C}$ | $85^{\circ} \mathrm{C}$ | $60^{\circ} \mathrm{C}$ | $85^{\circ} \mathrm{C}$ | $60^{\circ} \mathrm{C}$ | $85^{\circ} \mathrm{C}$ |
| 100 kHz | 5\% | 30 k | 24 k | 19 k | 15 k | 13 k | 10k | 7.5k | 5.8 k |
| 500 kHz | 10\% | 6.5 k | 5.1k | 4.1k | 3.2 k | 2.7 k | 2 k | 1.5k | 1.1 k |
| 1 MHz | 20\% | 2.9k | 2.2 k | 1.8 k | 1.4 k | 1.1k | 840 | 600 | 430 |
| 2 MHz | 25\% | 1.4 k | 1.1 k | 850 | 650 | 550 | 400 | 280 | 190 |
| 5 MHz | 25\% | 620 | 470 | 380 | 290 | 240 | 170 | 120 | 80 |
| 10 MHz | 25\% | 280 | 220 | 170 | 130 | 110 | 79 | - | - |

*Values in pF and assume both sides in use as non-overlapping 2 phase driver; each side operating at same frequency and duty cycle with $\left(\mathrm{V}^{+}-\mathrm{V}^{-}\right)=17 \mathrm{~V}$. For loads greater than 1200 pF , rise and fall times will be limited by output current.

Returning to the MM5013 example, a single MH0026 can drive $700 \mathrm{pF} / 60 \mathrm{pF}$, or 115013 's. Using the above equations, Table IV has been calculated for quick reference. In summary, the maximum capacitive load that any clock driver can drive is determined by package type and rating, heat sink technique, maximum system ambient temperature, AC power (which depends on frequency, voltage across the device, and capacitive load) and DC power (which is principally determined by duty cycle).

## Rise and Fall Time Considerations

In general rise and fall times are determined by (a) clock driver design, (b) reflected effects of heavy external load, and (c) peak transient current available. Details of these are included in Appendixes I and II. Figures AI-3, AI-4, AII-2, and AIII-3 illustrate performance under various operating conditions. Under light loads, performance is determined by internal design of the driver; for moderate loads, by load $C_{L}$ being reflected (usually as $C_{L / \beta}$ ) into the driver, and for large loads by peak output current where:

$$
\frac{\Delta V}{\Delta T}=\frac{\text { IouT peak }}{C_{L}}
$$

Logic rise and fall times must be known in order to assure non-overlap of system timing.

Note the definition of rise and fall times in this app. note follow the convention that rise time is the transition from logic " 0 " to logic " 1 " levels and vise versa for fall times. Since MOS logic is inverted from normal TTL, "risetime" as used in this note is "voltage fall" and "fall time" is "voltage rise."

## Power Supply Decoupling

Although power supply decoupling is a wide spread and accepted practice, the question often arises as
to how much and how often. Our own experience indicates that each clock driver should have at least $0.1 \mu \mathrm{~F}$ decoupling to ground at the $\mathrm{V}^{+}$and $\mathrm{V}^{-}$supply leads. Capacitors should be located as close as is physically possible to each driver. Capacitors should be non-inductive ceramic discs. This decoupling is necessary because currents in the order of 0.5 to 1.5 amperes flow during logic transitions.

## Clock Line Overshoot and Cross Talk

Overshoot: The output waveform of a clock driver can, and often does, overshoot. It is particularly evident on faster drivers. The overshoot is due to the finite inductance of the clock lines. Since most MOS registers require that clock signals not exceed $\mathrm{V}_{\mathrm{SS}}$, some method must be found in large systems to eliminate overshoot. A straightforward approach is shown in Figure 3. In this instance, a small damping resistor is inserted


FIGURE 3. Use of Damping Resistor to Eliminate Clock Overshoot
between the output of the clock driver and the load. The critical value for $R_{S}$ is given by:

$$
\begin{equation*}
R_{S}=2 \sqrt{\frac{L_{S}}{C_{L}}} \tag{6}
\end{equation*}
$$

In practice, analytical determination of the value for $R_{S}$ is rather difficult. However, $R_{S}$ is readily determined empirically, and typical values range in value between 10 and $50 \Omega$.

Use of the damping resistor has the added benefit of essentially unloading the clock driver; hence a greater number of loads may often be driven by a given driver. In the limit, however, the maximum value that may be used for $R_{S}$ will be determined by the maximum allowable rise and fall time needed to assure proper operation of the MOS register. In short:

$$
\begin{equation*}
\mathrm{t}_{\mathrm{r}(\max )}=\mathrm{t}_{\mathrm{f}(\max )} \leq 2.2 \mathrm{R}_{\mathrm{S}} \mathrm{C}_{\mathrm{L}} \tag{7}
\end{equation*}
$$

One last word of caution with regard to use of a damping resistor should be mentioned. The power dissipated in $R_{S}$ can approach $\left(\mathrm{V}^{+}-\mathrm{V}^{-}\right)^{2} f \mathrm{C}_{\mathrm{L}}$ and accordingly the resistor wattage rating will generally be in excess of 1 W . There are, obviously, applications where degradation of $t_{r}$ and $t_{f}$ by use of damping resistors cannot be tolerated. Figure 4


FIGURE 4. Use of High Speed Clamp to Limit Clock Overshoot
shows a practical circuit which will limit overshoot to a diode drop. The clamp network should physically be located in the center of the distributed load in order to minimize inductance between the clamp and registers.

Cross Talk: Voltage spikes from $\phi_{1}$ may be transmitted to $\phi_{2}$ (and vice versa) during the transition of $\phi_{1}$ to MOS logic " 1 ." The spike is due to mutual capacitance between clock lines and is, in general, aggravated by long clock lines when numerous registers are being driven. Figure 5 illustrates the problem.

figure 5. Clock Line Cross Talk

The negative going transition of $\phi_{1}$ (to MOS logic " 1 ") is capacitively coupled via $\mathrm{C}_{\mathrm{M}}$ to $\phi_{2}$. Obviously, the larger $C_{M}$ is, the larger the spike. Prior to $\phi_{1}$ 's transition, $\mathrm{Q}_{1}$ is "OFF" since only $\mu \mathrm{A}$ are drawn from the device. A simple method of minimizing cross-talk is shown in Figure 6.


FIGURE 6. Use of Bleed Resistors to Minimize ClockLine Crosstalk

Bleed resistors are connected between the clock driver and ground causing a current of a few mA to flow. The output impedance of the clock driver is reduced and the negative spike is thus minimized. Values for $R_{b}$ depend on layout and the number of registers being driven. Typical values are between 1 k and $10 \mathrm{k} \Omega$.

A major point should be emphasized with regard to clock-line crosstalk, i.e., even if the output impedance of the driver is zero ohms, self inductance between the clock driver and registers will cause the clock lines to spike on the transitions. Hence, the technique shown in Figure 6 works reasonably well for small systems.

For large systems, the circuit of Figure 7 is recommended. In this instance, $\mathrm{Q}_{1}$ and $\mathrm{Q}_{2}$ are turned "ON" just prior to the clocks transition to logic " 1 ." The spike is therefore clamped by the $V_{C E \text { (sat) }}$ of $\mathrm{Q}_{1}$ and $\mathrm{Q}_{2}$. A key feature of the circuit is that the clamps are physically placed adjacent the register thus minimizing the inductance between the clamp and the load.

figure 7. Cross Talk Minimization Circuit

## Input Capacitive Coupling

Generally, MOS shift registers are powered from +5 V and -12 V supplies. A level shift from the TTL levels $(+5 \mathrm{~V})$ to MOS levels $(-12 \mathrm{~V})$ is therefore required. The level shift could be made utilizing a PNP transistor or zener diode. The disadvantage to DC level shifting is the increased power dissipation and propagation delay in the level shifting device. Both the MHOO25 and MHOO26 utilize input capacitors when level shifting from TTL to negative MOS capacitors. Not only do the capacitors perform the level shift function without inherent delay and power dissipation, but as will be shown later, the capacitors also enhance the performance of both the MH0O25 and MH0O26.

## CONCLUSION

The practical aspects of driving MOS memories with new low cost clock drivers has been discussed in detail. When the design guide lines set forth in this paper are followed and reasonable care is taken in circuit layout, the MH0O25 and MHOO26 provide superior performance for most MOS input interface applications.

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## APPENDIX I

## MH0025 Circuit Operation

The schematic diagram of the MH0O25 is shown in Figure AI-1. With the TTL driver in the logic " 0 " state $Q_{1}$ is "OFF" and $Q_{2}$ is "ON" and the output is at approximately one $\mathrm{V}_{\mathrm{BE}}$ below the $\mathrm{V}^{+}$supply.


FIGURE AI-1. MH0026 Schematic (One-Half Circuit)

When the output of the TTL driver goes high, current is supplied to the base of $Q_{1}$, through $\mathrm{C}_{\mathrm{IN}^{N}}$, turning it "ON." As the collector of $\mathrm{Q}_{1}$ goes negative, $\mathrm{Q}_{2}$ turns OFF. Diode $\mathrm{CR}_{2}$ assures turn-on of $\mathrm{Q}_{1}$ prior to $\mathrm{Q}_{2}$ 's turn-off minimizing current spiking on the $\mathrm{V}^{+}$line, as well as providing a low impedance path around $\mathrm{Q}_{2}$ 's base emitter junction.

The negative voltage transition (to MOS logic "1") will be quite linear since the capacitive load will force $Q_{1}$ into its linear region until the load is discharged and $Q_{1}$ saturates. Turn-off begins when the input current decays to zero or the output of the TTL driver goes low. $Q_{1}$ turns "OFF" and $Q_{2}$ turns "ON" charging the load to within a $\mathrm{V}_{\mathrm{BE}}$ of the $\mathrm{V}^{+}$supply.

## Rise Time Considerations

The logic rise time (voltage fall) of the MHOO25 is primarily a function of the $A C$ load, $C_{L}$, the available input current and total voltage swing. As shown in Figure AI-2, the input current must


FIGURE AI-2. Rise Time Model for the MH0025
charge the Miller capacitance of $\mathrm{Q}_{1}, \mathrm{C}_{\mathrm{TC}}$, as well as supply sufficient base drive to $Q_{1}$ to discharge $C_{L}$ rapidly. By inspection:

$$
\begin{align*}
& I_{I N}=I_{M}+I_{B}+I_{R 1}  \tag{AI-1}\\
& I_{I N} \cong I_{M}+I_{B}, \text { for } I_{M} \gg I_{R 1} \& I_{B} \gg I_{R 1}
\end{align*}
$$

$$
\begin{equation*}
I_{B}=I_{I N}-C_{T C} \frac{\Delta V}{\Delta t} \tag{AI-2}
\end{equation*}
$$

If the current through $\mathrm{R}_{2}$ is ignored,

$$
\begin{equation*}
I_{C}=I_{B} h_{F E Q 1}=I_{L}+I_{M} \tag{AI-3}
\end{equation*}
$$

where:

$$
\mathrm{I}_{\mathrm{L}}=\mathrm{C}_{\mathrm{L}} \frac{\Delta \mathrm{~V}}{\Delta \mathrm{t}}
$$

Combining equations $\mathrm{Al}-1, \mathrm{Al}-2, \mathrm{Al}-3$ yields:
$\frac{\Delta V}{\Delta t}\left[C_{L}+C_{T C}\left(h_{\text {FEQ } 1}+1\right)\right]=h_{F E Q 1} I_{I N}$
or

$$
\begin{equation*}
t_{r} \cong \frac{\left[C_{L}+\left(h_{F E Q 1}+1\right) C_{T C}\right] \Delta V}{h_{F E Q 1} l_{I N}} \tag{AI-5}
\end{equation*}
$$

Equation (AI-5) may be used to predict $\mathrm{t}_{\mathrm{r}}$ as a function of $C_{L}$ and $\Delta V$. Values for $C_{T C}$ and $h_{F E}$ are 10 pF and 25 respectively. For example, if a DM7440 with peak output current of 50 mA were used to drive a MH0025 loaded with 1000 pF , rise times of:

$$
\frac{(1000 \mathrm{pF}+250 \mathrm{pF})(17 \mathrm{~V})}{(50 \mathrm{~mA})(20)}
$$

or 21 ns may be expected for $\mathrm{V}^{+}=5.0 \mathrm{~V}, \mathrm{~V}^{-}=-12 \mathrm{~V}$. Figure Al-3 gives rise time for various values of $C_{L}$.


FIGURE AI-3. Rise Time vs $\mathrm{C}_{\mathrm{L}}$ for the MH0025

## Fall Time Considerations

The MOS logic fall time (voltage rise) of the MH0025 is dictated by the load, $\mathrm{C}_{\mathrm{L}}$, and the output capacitance of $Q_{1}$. The fall time equivalent circuit of MHOO25 may be approximated with the circuit of Figure AI-4. In actual practice, the base


FIGURE AI-4. Fall Time Equivalent Circuit
drive to $\mathrm{O}_{2}$ drops as the output voltage rises toward $\mathrm{V}^{+}$. A rounding of the waveform occurs as the output voltage reaches to within a volt of $\mathrm{V}^{+}$. The result is that equation ( $\mathrm{AI}-7$ ) predicts conservative values of $t_{f}$ for the output voltage at the beginning of the voltage rise and optimistic

values at the end. Figure AI-5 shows $t_{f}$ as function of $C_{L}$.


FIGURE AI-5. MH0025 Fall Time vs $C_{L}$

Assuming $\mathrm{h}_{\mathrm{FE} 2}$ is a constant of the total transition:

$$
\begin{equation*}
\frac{\Delta V}{\Delta t}=\frac{\left(\frac{\mathrm{V}^{+}-\mathrm{V}^{-}}{2 R_{2}}\right)}{\mathrm{C}_{\mathrm{TCO} 1}+\mathrm{C}_{\mathrm{L}} / \mathrm{h}_{\text {FEQ } 1+1}} \tag{AI-6}
\end{equation*}
$$

or

$$
\begin{equation*}
\mathrm{t}_{\mathrm{f}} \cong 2 \mathrm{R}_{2}\left(\mathrm{C}_{\mathrm{TCO1}}+\frac{\mathrm{C}_{\mathrm{L}}}{\mathrm{~h}_{\mathrm{FEQ} 1+1}}\right) \tag{AI-7}
\end{equation*}
$$

## MH0025 Input Drive Requirements

Since the MH0025 is generally capacitively coupled at the input, the device is sensitive to current not input voltage. The current required by the input is in the 50 to 60 mA region. It is therefore a good idea to drive the MHOO25 from TTL line drivers, such as the DM7440 or DM8830. It is possible to drive the MH 0025 from standard $54 / 74$ series gates or flip-flops but $t_{O N}$ and $t_{r}$ will be somewhat degraded.

## Input Capacitor Selection

The MH0O25 may be operated in either the logically controlled mode (pulse width out $\cong$ pulse width in) or $\mathrm{C}_{\mathrm{IN}}$ may be used to set the output


FIGURE AI-6. MH0025 Input Current Waveform
pulse width. In the latter mode a long pulse is supplied to the MHOO25. The input current is of the general shape as shown in Figure AI-6. IMAX
is the peak current delivered by the TTL driver into a short circuit (typically 50 to 60 mA ). $\mathrm{Q}_{1}$ will begin to turn-off when $I_{I N}$ decays below $V_{B E} / R_{1}$ or about 2.5 mA . In general:

$$
\begin{equation*}
I_{I N}=I_{\text {MAX }} \mathrm{e}^{-t / R_{0}} C_{I N} \tag{AI-8}
\end{equation*}
$$

Where:

$$
\begin{aligned}
& R_{0}=\text { Output impedance of the TTL driver } \\
& C_{I N}=\text { Input coupling capacitor }
\end{aligned}
$$

Substituting $I_{I N}=I_{\text {MIN }}=\frac{V_{B E}}{R_{1}}$ and solving for $t_{1}$
yields:

$$
\begin{equation*}
\mathrm{t}_{1}=\mathrm{R}_{0} \mathrm{C}_{\mathrm{IN}} \ln \frac{\mathrm{I}_{\mathrm{MAX}}}{\mathrm{I}_{\mathrm{MIN}}} \tag{AI-9}
\end{equation*}
$$

The total pulse width must include rise and fall time considerations. Therefore, the total expression for pulse width becomes:

$$
\begin{align*}
t_{P W} & \cong \frac{t_{r}+t_{f}}{2}+t_{1} \\
& =\frac{t_{r}+t_{f}}{2}+R_{0} C_{I N} \ln \frac{I_{M A X}}{I_{M I N}} \tag{AI-10}
\end{align*}
$$

The logic " 1 " output impedance of the DM7440 is approximately $65 \Omega$ and the peak current ( $I_{\text {MAX }}$ ) is about 50 mA . The pulse width for $\mathrm{C}_{\mathrm{IN}}=2,200 \mathrm{pF}$ is:

$$
\begin{gathered}
\mathrm{t}_{\mathrm{PW}} \cong \frac{25 \mathrm{~ns}+150 \mathrm{~ns}}{2}+(65 \Omega)(2,200 \mathrm{pF}) \mathrm{ln} \\
\frac{50 \mathrm{~mA}}{2.5 \mathrm{~mA}}=517 \mathrm{~ns}
\end{gathered}
$$

A plot of pulse width for various types of drivers is shown in Figure AI-7. For applications in which


FIGURE AI-7. Output PW Controlled by $\mathrm{C}_{\mathrm{IN}}$
the output pulse width is logically controlled, $\mathrm{C}_{\mathrm{IN}}$ should be chosen 2 to 3 times larger than the maximum pulse width dictated by equation (AI-10).

## DC Coupled Operation

The MH0O25 may be direct-coupled in applications when level shifting to a positive value only. For example, the MM1103 RAM typically operates between ground and plus 20 V . The MH0025 is shown in Figure AI-8 driving the address or precharge line in the logically controlled mode.


FIGURE AI-8. DC Coupled MH0025 Driving 1103 RAM.

If DC operation to a negative level is desired, a level translator such as the DM7800 or DH0034 may be employed as shown in Figure AI-9. Finally, the level shift may be accomplished using PNP transistors are shown in Figure AI-10.


FIGURE AI-9. DC Coupled Clock Driver Using DH0034.


FIGURE AI-10. Transistor Coupled MH0025 Clock Driver.

## APPENDIX II

## MH0026 Circuit Operation

The schematic of the MH0O26 is shown in Figure All-1. The device is typically AC coupled on the input and responds to input current as does the MH0025. Internal current gain allows the device to be driven by standard TTL gates and flip-flops.

With the TTL input in the low state $Q_{1}, Q_{2}, Q_{5}$, $\mathrm{Q}_{6}$, and $\mathrm{Q}_{7}$ are "OFF" allowing $\mathrm{Q}_{3}$ and $\mathrm{Q}_{4}$ to come "ON." $R_{6}$ assures that the output will pull up to within a $\mathrm{V}_{\mathrm{BE}}$ of $\mathrm{V}^{+}$volts. When the TTL input starts toward logic " 1 ," current is supplied via $C_{I N}$ to the bases of $Q_{1}$ and $Q_{2}$ turning them "ON." Simultaneously, $\mathrm{Q}_{3}$ and $\mathrm{Q}_{4}$ are snapped "OFF." As the input voltage rises (to about 1.2 V ), $\mathrm{Q}_{5}$ and $\mathrm{Q}_{6}$ turn-on. Multiple emitter transistor $\mathrm{Q}_{5}$ provides additional base drive to $Q_{1}$ and $Q_{2}$ assuring their complete and rapid turn-on. Since $Q_{3}$ and $\mathrm{Q}_{4}$ were rapidly turned OFF minimal power supply current spiking will occur when $\mathrm{O}_{7}$ comes "ON."


FIGURE All-1. MH0025 Schematic (One-Half Circuit)
$\mathrm{O}_{6}$ now provides sufficient base drive to $\mathrm{Q}_{7}$ to turn it "ON." The load capacitance is then rapidly discharged toward $\mathrm{V}^{-}$. Diode $\mathrm{D}_{4}$ affords a low impedance path to $\mathrm{Q}_{6}$ 's collector which provides additional drive to the load through current gain of $\mathrm{O}_{7}$. Diodes $\mathrm{D}_{1}$ and $\mathrm{D}_{2}$ prevent avalanching $\mathrm{Q}_{3}$ 's and $\mathrm{O}_{4}$ 's base-emitter junction as the coilectors of $\mathrm{Q}_{1}$ and $\mathrm{Q}_{2}$ go negative. The output of the MH0O26 continues negative stopping about 0.5 V more positive than $\mathrm{V}^{-}$.

When the TTL input returns to logic " 0 ," the input voltage to the MH0026 goes negative by an amount proportional to the charge on $\mathrm{C}_{1 \mathrm{~N}}$. Transistors $\mathrm{Q}_{8}$ and $Q_{9}$ turn-on, pulling stored base charge out of $\mathrm{Q}_{7}$ and $\mathrm{Q}_{2}$ assuring their rapid turn-off. With $\mathrm{Q}_{1}$, $Q_{2}, Q_{6}$ and $Q_{7}$ off, Darlington connected $Q_{3}$ and $\mathrm{O}_{4}$ turn-on and rapidly charge the load to within a $\mathrm{V}_{\mathrm{BE}}$ of $\mathrm{V}^{+}$.

## Rise Time Considerations

Predicting the MOS logic rise time (voltage fall) of the MHOO26 is considerably involved, but a reasonable approximation may be made by utilizing equation (AI-5), which reduces to:

$$
\begin{equation*}
\mathrm{t}_{\mathrm{r}} \cong\left[\mathrm{C}_{\mathrm{L}}+250 \times 10^{-12}\right] \Delta \mathrm{V} \tag{AII-1}
\end{equation*}
$$

For $C_{L}=1000 \mathrm{pF}, \mathrm{V}^{+}=5.0 \mathrm{~V}, \mathrm{~V}^{-}=-12 \mathrm{~V}$, $\mathrm{t}_{\mathrm{r}} \cong 21 \mathrm{~ns}$. Figure All-2 shows MHOO26 rise times vs. $C_{L}$.


FIGURE All-2. Rise Time vs Load Capacitance

## Fall Time Considerations

The MOS logic fall time of the MHOO26 is determined primarily by the capacitance Miller capacitance of $Q_{5}$ and $Q_{1}$ and $R_{5}$. The fall time may be predicted by:

$$
\begin{align*}
t_{f} & \cong(2.2)\left(R_{5}\right) \quad\left(C_{S}+\frac{C_{L}}{h_{F E}^{2}}\right) \\
& \cong\left(4.4 \times 10^{3}\right) \quad\left(c_{S}+\frac{C_{L}}{h_{F E}^{2}}\right) \tag{AII-2}
\end{align*}
$$

where:

$$
\begin{aligned}
\mathrm{C}_{\mathrm{S}} & =\text { Capacitance to ground } \\
& \text { seen at the base of } \mathrm{Q}_{3} \\
& =2 \mathrm{pF} \\
\mathrm{~h}_{\mathrm{FE}^{2}} & =\left(\mathrm{h}_{\mathrm{FEQ} 3}+1\right)\left(\mathrm{h}_{\text {FEQ4 }}+1\right) \\
& \cong 500
\end{aligned}
$$

For the values given and $C_{L}=1000 \mathrm{pF}, \mathrm{t}_{\mathrm{f}} \cong 17.5 \mathrm{~ns}$. Figure All-3 gives $t_{f}$ for various values of $C_{L}$.

## MH0026 Input Drive Requirements

The MH0026 was designed to be driven by standard 54/74 elements. The device's input characteristics


FIGURE All-3. Fall Time vs Load Capacitance
are shown in Figure All-4. There is breakpoint at $\mathrm{V}_{\text {IN }} \cong 0.6 \mathrm{~V}$ which corresponds to turn-on of $\mathrm{Q}_{1}$ and $\mathrm{Q}_{2}$. The input current then rises with a slope of about $600 \Omega\left(R_{2} \| R_{3}\right)$ until a second breakpoint at approximately 1.2 V is encountered, corresponding to the turn-on of $Q_{5}$ and $Q_{6}$. The slope at this point is about $150 \Omega\left(R_{1}\left\|R_{2}\right\| R_{3} \| R_{4}\right)$.


FIGURE All-4. Input Current vs Input Voltage

The current demanded by the input is in the 5 to 10 mA region. A standard $54 / 74$ gate can source currents in excess of 20 mA into 1.2 V . Obviously, the minimum " 1 " output voltage of 2.5 V under these conditions cannot be maintained. This means that a $54 / 74$ element must be dedicated to driving $1 / 2$ of a MH0026. As far as the MHOO26 is concerned, the current is the determining turn-on mechanism not the voltage output level of the 54/74 gate.

## Input Capacitor Selection

A major difference between the MHOO25 and MH0026 is that the MH0026 requires that the output pulse width be logically controlled. In short, the input pulse width $\cong$ output pulse width. Selection of $\mathrm{C}_{\mathrm{IN}_{N}}$ boils down to choosing a capacitor small enough to assure the capacitor takes on nearly full charge, but large enough so that the input current does not drop below a minimum level to keep the MHOO26 "ON." As before:

$$
\begin{equation*}
t_{1}=R_{0} C_{I N} \ln \frac{I_{\text {MAX }}}{I_{\text {MIN }}} \tag{All-3}
\end{equation*}
$$

or

$$
\begin{equation*}
C_{I N}=\frac{t_{1}}{R_{0} \ln \frac{I_{M A X}}{I_{M I N}}} \tag{All-4}
\end{equation*}
$$

In this case $R_{0}$ equals the sum of the TTL gate output impedance plus the input impedance of the MH0026 (about $150 \Omega$ ). I MIN from Figure All- 5 is about 1 mA . A standard $54 / 74$ series gate has an high state output impedance of about $150 \Omega$ in the logic " 1 " state and an output (short circuit) current of about 20 mA into 1.2 V . For an output pulse width of 500 ns ,


FIGURE All-5. Logical " 1 " Output Voltage vs Source Current

$$
\mathrm{C}_{\mathrm{IN}}=\frac{500 \times 10^{-9}}{(150 \Omega+150 \Omega) \ln \frac{20 \mathrm{~mA}}{1 \mathrm{~mA}}}=560 \mathrm{pF}
$$

In actual practice it's a good idea to use values of about twice those predicted by equation (All-4) in order to account for manufacturing tolerances in the gate, MH 0026 , and temperature variations.


FIGURE All-6. Optimum Input Capacitance vs Output Pulse Width

A plot of optimum value for $\mathrm{C}_{I N}$ vs desired output pulse width is shown in Figure All-6.

## DC Coupled Applications

The MH0O26 may be applied in direct coupled applications. Figure All-7 shows the device driving address or pre-charge lines on an MM1103 RAM.


FIGURE All-7. DC Coupled RAM Memory Address or Precharge Driver (Positive Supply Only)

For applications requiring a DC level shift, the circuit of Figure All-8 or All-9 are recommended.


FIGURE All-8. Transistor Coupled MOS Clock Driver


FIGURE All-9. DC Coupled MOS Clock Driver

## APPENDIX III

MOS Interface Circuits

## MOS Clock Drivers

MH0007 Direct coupled, single phase, TTL compatible clock driver.
MH0009 Two phase, direct or AC coupled clock driver.
MH0012 10 MHz , single phase direct coupled clock driver.

MH0013 Two phase, AC coupled clock driver.
MH0025 Low cost, two phase clock driver.
MH0026 Low cost, two phase, high speed clock driver.
MH8808 Dual clock driver for MM5262.2k RAM.

## MOS Oscillator/Clock Drivers

MH7803/MH7807 - Complete two phase clock system for MOS micro-processors and calculators.

MOS RAM Memory Address and Precharge Drivers
MH8804 Quad TTL to 1103 address driver.
MH8805 Dual TTL to 1103 address driver.
MH0025 Dual address and precharge driver.

MH0026 Dual high speed address and precharge driver.

## TTL to MOS Interface

DH0034 Dual high speed TTL to negative level converter.

DM7800 Dual TTL to negative level converter.
DM7810/DM7812/DM7819 - Open collector TTL to positive high level MOS converter gates.
DM78L12 Active pull-up TTL to positive high level MOS converter gates.

MOS to TTL Level Converters and Sense Amps
DM7802/DM7806* - Dual sense amp for MM5262 $2 k$ MOS RAM memory.
LM165 Series* - Hex sense amp MOS to TTL.
LM163/LM75107/LM75207* - Dual sense amp for MM1103 1k MOS RAM memory.

## Voltage Regulators for MOS Systems

LM109/LM140 Series - Positive regulators.
LM120 Series - Negative regulators.
LM125 Series* - Dual +/- regulators.
*To be announced.

